



# **Pharmaceutical statistics**

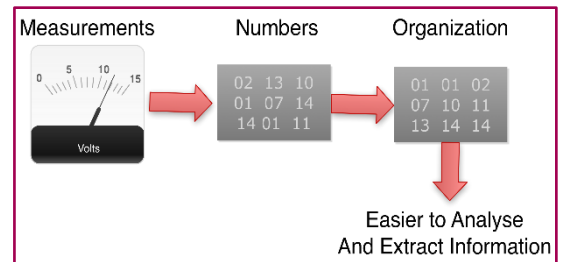
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## Graphical Presentation of Data

- **Statistics:** collection, organization, summarization and analysis of data, and the drawing of inferences about a body of data when only a part of the data is observed.

- **Raw data:** measurements that **have not** been organized, summarized or otherwise manipulated.
- Unless the number of observations is extremely small, it will be unlikely that these raw data will impart much information until they have been put into some kind of order.
- It is *always easier to analyze organized data*



- **The ordered array:**

- The preparation of the ordered array is the **first step** in organizing data.
- It is a listing of the values of a collection (either population or sample) **from the smallest value to the largest value.**
- The ordered array enables one to determine quickly the value of the smallest measurement, the value of the largest measurement and the general trends in the data.

Raw data	13	3	17	9	5	7	15	11
Organized	3	5	7	9	11	13	15	17

- **Grouped data:**

- **The Frequency Distribution**

- ✓ Although a set of observations can be made more comprehensible and meaningful by means of an ordered array, further useful **summarization** may be achieved by **grouping** the data.
- ✓ To group a set of observations, we select a set of **non-overlapping intervals** such that (each value in the data set of observations can be placed in one, **and only one**, interval).

- ✓ These intervals are usually referred to as **Class Intervals**

- ✓ Usually, class intervals are ordered from smallest to largest.

- ✓ **Interval width** =  $(UL - LL + 1)$  OR  $(UL_2 - UL_1)$  OR  $(LL_2 - LL_1)$

- In this table the Interval width =  $19 - 10 + 1 = 10$  or  $20 - 10 = 10$

- ✓ **Mid interval** is the best value that represents each interval, and it

Equals:  $\left(\frac{UL + LL}{2}\right)$

Mid interval =  $\left(\frac{10 + 19}{2}\right) = 14.5$

Class Interval	Frequency
10-19	4
20-29	66
30-39	47
40-49	36
50-59	12
60-69	4
Total	169

- **Construction of Frequency Distribution Table**

- ✓ How many intervals should we use? (0-100 years)
  - Too few intervals are undesirable because of the resulting loss of information. (0-50, 51-100) two intervals.
  - Too many intervals, on the other hand, will not meet the objective of summarization. (0-1, 2-3, 4-5, ..... 99-100)!!
  - A commonly used rule is there should be **no fewer than six intervals and no more than 15.** (6-15 is optimal)

- ✓ To know how many class intervals to employ we use **Sturge's rule**
  - $k = 1 + 3.322 * (\log_{10} n) \rightarrow$  *Rounded to nearest integer*
  - $k$ : Number of intervals,  $n$  is number of observations
  - The rule is just used as guidance and **should not be applied strictly**.
  - The size of the class interval is often selected as 5, 10, 15 or 20 etc.

✓ **The width of class intervals:**

- Class intervals should be generally of the same width.
- The width may be obtained by dividing the range by  $k$ , the number of class intervals.
- **Interval width = Range/k**

★ **Example 1:**

Tablet hardness values range between 50 and 120 N, calculate the recommended number of intervals and the interval width for data contains **60 values** of tablet hardness??  $n = 60$

- **Range** = largest – smallest =  $120 - 50 = 70$
- # intervals =  $1 + 3.329 (\log n) = 1 + 3.329 (\log 60) = 7$
- Interval width =  $k/n = 70/7 = 10$

★ **Example 2:**

Frequency distribution *non-overlapping* of ages of 169 subjects.

Class Interval	Frequency
10-19	4
20-29	66
30-39	47
40-49	36
50-59	12
60-69	4
Total	169

non-overlapping intervals

Variables range =  $69 - 10 + 1 = 60$

Interval width

How many subjects are there in each class interval?

• **The relative frequency distribution**

- It may be useful sometimes to know the **proportion** rather than the number of values falling between a particular class interval.
- We obtain this information by dividing the number of values in the particular class interval by the **total** number of values.
- We refer to the proportion of values falling within a class interval as the **relative frequency** of values in that interval (we call it probability distribution).
  - ✓ The total of relative frequency for all intervals **must be 1**

Class Interval	Frequency	Relative Frequency	Cumulative Frequency	Cumulative Relative Frequency
10-19	4	0.0237	4	0.0237
20-29	66	0.3905	70	0.4142
30-39	47	0.2781	117	0.6923
40-49	36	0.2130	153	0.9053
50-59	12	0.0710	165	0.9763
60-69	4	0.0237	169	1.0000
<b>Total</b>	<b>169</b>	<b>1.0000</b>		

- We may sum (*cumulate*) the frequencies and relative frequencies to facilitate obtaining information regarding frequency or relative frequency of values within two or more contiguous class intervals.
- **Cumulative frequency:** number of subjects with values below the UL.
- The total of cumulative relative frequency for all intervals *must be 1*
- The percentage of each interval = % fr = **relative frequency**\* 100%

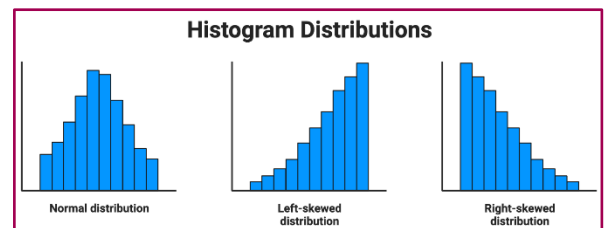
✓ We use **true limits** to fill the gaps between intervals for a continuous variable.

- Using true limits is very essential to calculate statistics (range, median, etc.) of grouped data.
- **Upper true limit** = upper class value + 0.5
- **Lower true limit** = lower class value - 0.5

Intervals	True limits	frequency
10-19	9.5-19.5	4
20-29	19.5-29.5	66
30-39	29.5-39.5	47
40-49	39.5-49.5	36
50-59	49.5-59.5	12
60-69	59.5-69.5	4

### • Histogram:

- We may display a frequency distribution (or a relative frequency distribution) graphically in the form of a histogram, which is a special type of bar graph.
- When we construct a histogram, the **variables** under consideration are represented by the horizontal (**x**) **axis**, while the **frequency** (or relative frequency) of occurrence is the (**y**) **axis**.



### ★ Example:

A school nurse weighed 30 students in Year 10. Their weights (in kg) were recorded as follows:

50 52 53 54 55 65 60 70 48 63  
**74** **40** 46 59 68 44 47 56 49 58  
 63 66 68 61 57 58 62 52 56 58

1. Use the data above to construct a frequency table.
  - ✓ **Range** = 74-40=34
  - ✓ Let **width** of class interval = 5
  - ✓ **# intervals** =34/5=7 There are 7 class intervals
2. Complete the table to calculate:

- cumulative frequency
- relative frequencies
- cumulative relative frequencies

Class interval <i>x</i> (weight in kg)	Tally	Frequency <i>f</i>
40 - 44		2
45 - 49		4
50 - 54		5
55 - 59		8
60 - 64		5
65 - 69		4
70 - 74		2
		30



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